

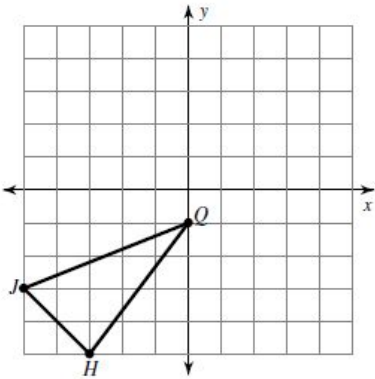
Name: \_\_\_\_\_

### Rotations Practice

Graph the image. List the coordinates of the image. Then write the rule in proper notation.

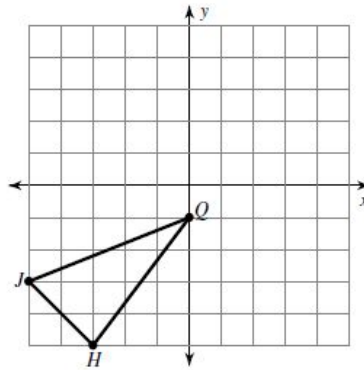
1) Rotate  $\triangle JOH$   $-90^\circ$  about the origin.

Rule: \_\_\_\_\_



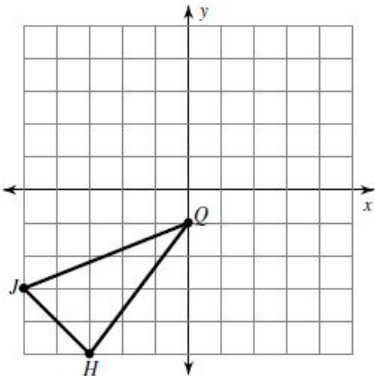
2) Rotate  $\triangle JOH$   $180^\circ$  CCW about the origin.

Rule: \_\_\_\_\_



3) Rotate  $\triangle JOH$   $180^\circ$  CW about the origin.

Rule: \_\_\_\_\_



4) What do you notice about #2 and #3?

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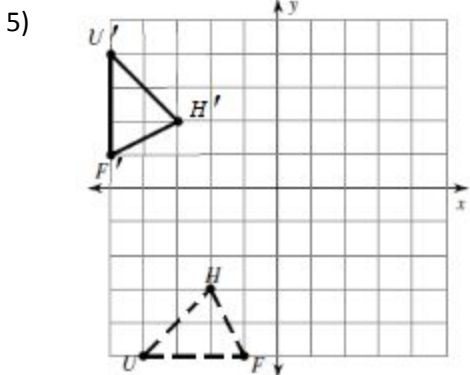
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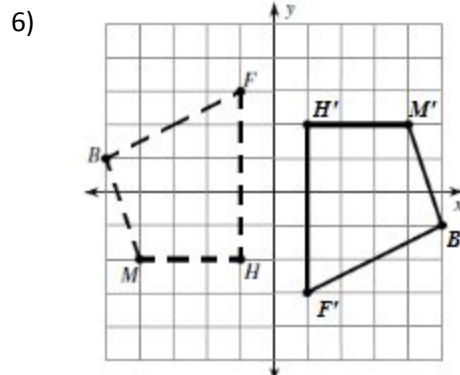
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Describe the rotations below using one clockwise rotation and one counter-clockwise rotation.



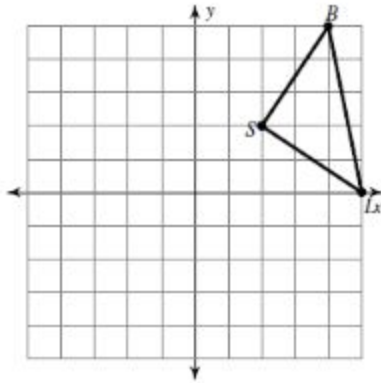
This rotation could be described  
as \_\_\_\_\_ $^\circ$  CW, or \_\_\_\_\_ $^\circ$  CCW



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as \_\_\_\_\_ $^\circ$  CW, or \_\_\_\_\_ $^\circ$  CCW

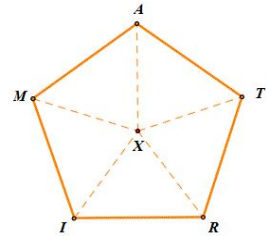
7) Say instead of rotating about the origin, you want to see what would happen if you rotated about another point -- say, the point (1, 3). What would that look like?

Rotate the triangle below  $90^\circ$  CW about the point (1, 3).



8) Say instead of rotating on a coordinate plane, you decide to rotate within a different shape.

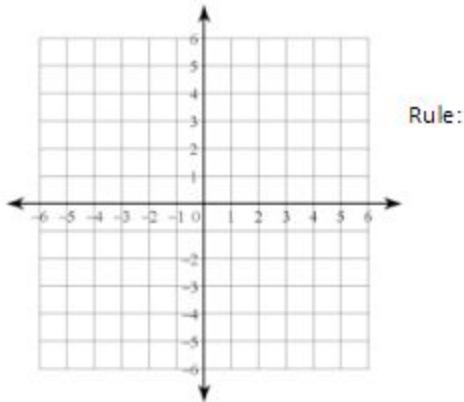
a) How many degrees would each rotation be within the pentagon MATRI below? Why?



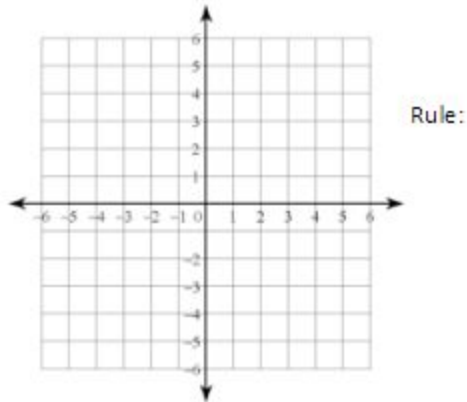
b) Find the image of point M rotated  $216^\circ$  clockwise about point X.

Graph the preimage and image. List the coordinates of the image. Then write the rule in proper notation.

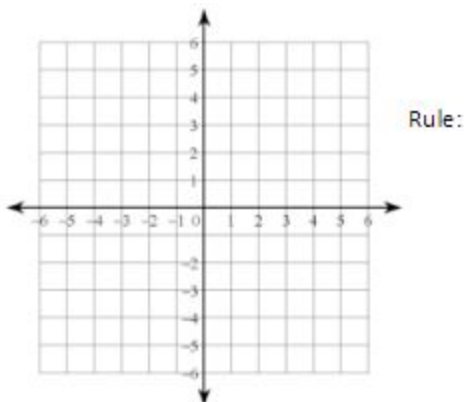
9)  $\triangle TRL$ : T(2, -1), R(4, 0), and L(1, 3)  
 $-90^\circ$  about the origin.



10)  $\triangle CDY$ : C(-4,2), D(-1, 2), and Y(-1, -1)  
 $270^\circ$  clockwise about the origin.



11)  $\triangle RST$ : R(2, -1), S(4, 0), and T(1, 3)  
 $90^\circ$  counter clockwise about the origin.



12)  $\triangle FUN$ : F(-4, -1), U(-1, 3), and N(-1, 1)  
 $180^\circ$  clockwise about the origin.

