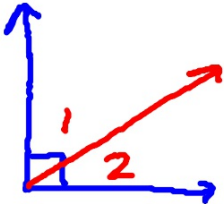
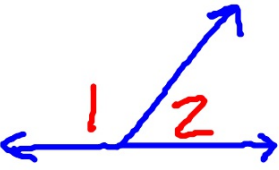
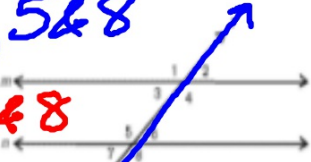


Geometry Review

Angles

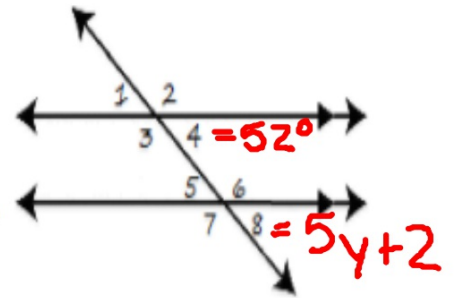
Complementary	Supplementary	Transversals
<p>Angles add up to: <u>90°</u></p> <p>Picture:</p> 	<p>Angles add up to: <u>180°</u></p> <p>Picture:</p> 	<p>Vertical pairs: <u>1&4, 2&3, 5&8</u></p> <p>Linear pairs: <u>1&2, 3&4, 7&8</u></p> <p>Supplementary angles: <u>* Don't have to be on same line</u></p> <p>Congruent angles: <u>3&6, 4&5, 7&2</u></p> 

. If $m\angle 4 = 52^\circ$ and $m\angle 7 = (4x)^\circ$, find x .

$$\begin{array}{r} 52 + 4x = 180^\circ \\ -52 \quad -52 \\ \hline 4x = 128 \end{array}$$

$$x = \frac{128}{4}$$

$$x = 32^\circ$$



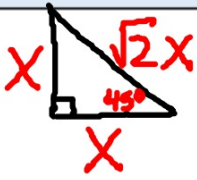
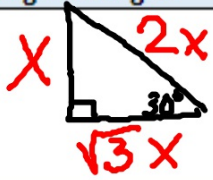
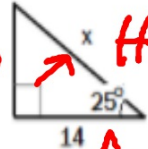
. If $m\angle 4 = 52^\circ$ and $m\angle 8 = (5y+2)^\circ$, find y .

$$\begin{array}{r} 52 = 5y + 2 \\ -2 \quad -2 \\ \hline \end{array}$$

$$\frac{50}{5} = \frac{5y}{5}$$

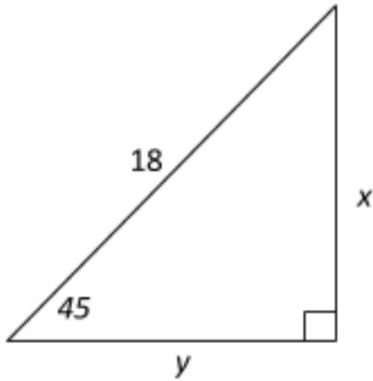
$$y = 10$$

Triangles

General Properties		Special Right Triangles	
Angles: <u>add up to 180°</u>			
Sides: <u>$a^2 + b^2 = c^2$</u>			
Hypotenuse: <u>longest side</u>			
Trigonometry			
Trig Functions:	Examples:	Other Notes:	
SO CA TO H A	If $\tan(y) = 7.115$, then $y = 82^\circ$ 	$\cos 25 = \frac{14}{x}$ $x \cdot \cos 25 = 14$ $\frac{x \cdot \cos 25}{\cos 25} = \frac{14}{\cos 25}$ $x = 15.45$	
		*When solving for an angle, you must use <u>inverse trig functions</u>	

inverse trig functions

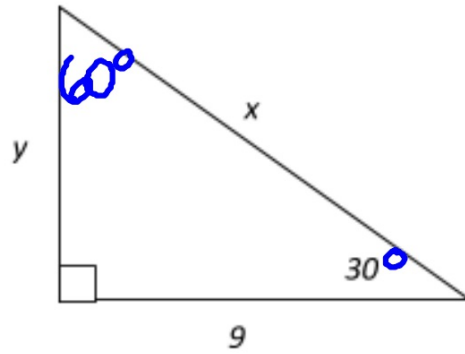
1.



x = _____

y = _____

2.



x = $6\sqrt{3}$

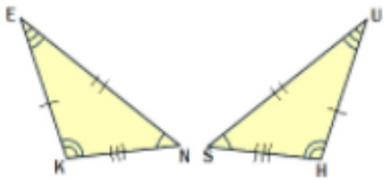
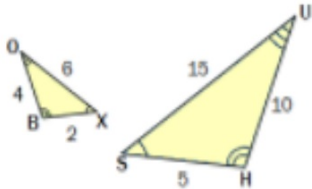
y = $3\sqrt{3}$

30-60-90
 $x - \sqrt{3}x - 2x$

$\frac{\sqrt{3}x}{\sqrt{3}} = \frac{9}{\sqrt{3}}$
 $x = \frac{9}{\sqrt{3}} \frac{\sqrt{3}}{\sqrt{3}} = \frac{9\sqrt{3}}{3} = 3\sqrt{3}$

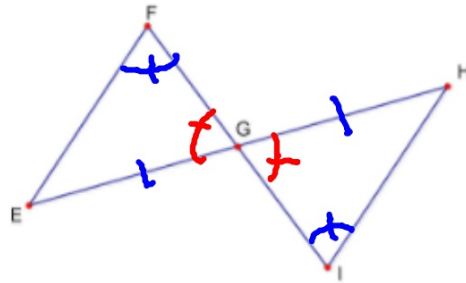
Comparing Figures

Similarity		
Example: $\triangle BOX \sim \triangle HUS$; Scale factor = $\frac{2}{5}$	Postulates: SSS SAS AA	Other Notes: • Angles are congruent • Sides are proportional
Congruence		
Example: $\triangle NKE \cong \triangle SHU$	Postulates: ASA SSS SAS AAS HL	Other Notes: • CPCTC - congruent parts of congruent triangles congruent



16. Complete the following proof.

Given: $\angle F \cong \angle I$, G is the midpoint of \overline{EH}
Prove: $\triangle FGE \cong \triangle IGH$



Given
 G is midpoint
 \overline{EH}

Def. of Midpoint

$\overline{EG} \cong \overline{HG}$

Given

$\angle F \cong \angle I$

Def.
Vertical \angle 's

$\angle G \cong \angle G$

AAS

$\triangle FGE \cong \triangle IGH$